$\Upsilon z, A, cc\acute{z},$
$y\,3\; c\; A\; A$

$\Upsilon z, A, c\acute{\Upsilon} c$
$y\,3\; c\; A\; y\acute{A}$

$W\; x\; \Upsilon\; z$
$\bar{w}\; \bar{x}\; \bar{\Upsilon}\; \bar{z}$ $\rightarrow$ $\bar{w}, x\, \Upsilon z\, W, x\, \Upsilon$
$\bar{w}, \bar{x}\, \bar{\Upsilon} \bar{z}\, \bar{w}, \bar{x}\, \bar{\Upsilon}$

Then we write this cycle

$\Upsilon z, A, x\acute{c}c,$
$y\,3\; c, x\acute{A}A$

$W, X, \Upsilon, z, , W_2 X_2 \Upsilon_2 z_2$ $\rightarrow$ $X, \Upsilon, z, W, , X_2 \Upsilon_2 z_2 W_2$

$A, AAz', A, x\Upsilon$

Relation deductive

$A, A\acute{\Upsilon}A, A, x\Upsilon$
$A, x\acute{A}A, A, x\Upsilon z$

Rules for $A, x\Upsilon z,$

AAz' excludes $Az'A$ + $z'Ax$
$A\acute{\Upsilon}A$ excludes $\acute{\Upsilon}AA$ + $Ax\Upsilon$
$x'AA$ excludes AAx + $Ax\Upsilon$

Forwards

A in 1st position $\quad A, A\Upsilon\acute{z}', A$ fails

Then $A\acute{\Upsilon}z'$ excludes $\acute{\Upsilon}z'A$

A in 2nd position $\quad A, x\acute{A}z', A, x$

$x'Az'$ excludes $z'Ax$

A in 3rd position $\quad A, x\acute{\Upsilon}A, A, x\Upsilon$

$x\acute{\Upsilon}A$ excludes $Ax\Upsilon$

Backwards

C in 1st position $\quad \Upsilon z\, A, c\acute{\Upsilon}z', A$
$y\,3\; cA, A$

$c\acute{\Upsilon}z'$ excludes C_{3y}

$x'cz'$ excludes $x'C_3$

C in 2nd position $\quad z, A, x\acute{c}z', A$
$3\; c, x\acute{A}$

$x\acute{\Upsilon}c$ excludes $y'x'C$

C in third position $\quad A, x\acute{\Upsilon}c, A$
$C\; x\; y\; A$

ccz' excludes C_{3y} + AC_3
$c\acute{\Upsilon}c$ excludes $y'AC$ + C_{3y}
xcc excludes $Ax'C$ + $x'C_3$

Summary of 4 letter codes.

Beginning with A, plus some other restrictions.

Sydney's first code — $A, \overset{no}{A}\ \overset{no}{A}\ \overset{no}{A}.$

This is

BBB	CBC	DBB		
BBD	CCB	DBD	BBC or DDC	= 16
BCC	CCC	DCC		
BDB	CCD	DDB		
BDD	CDC	DDD		✓ o.k.

Sydney's second code — $A, \cdot\ \overset{noA}{\cdot}\ \overset{noA}{\cdot}$

as above, plus $A\begin{matrix}B\ B\\D\ D\end{matrix}$ = 20

My first code, corrected — $A, \overset{no}{C} \cdot \overset{no}{A},$ (nothing with two Cs)

$A\begin{matrix}B\\D\end{matrix}C$

A				
B D		B B B	A B A C	BBC ~~~ 2
A C B		D D D	D	or = ~~22~~ 24
D				DDC BC B D

My second code — $A, \cdot\ \cdot\ \overset{noA}{noC}$

A	B B	A A B	A C B	[or D C B D ≡ either of B C B D] = 20 ✓
B	D D	C	B D	
D				

The 26 Possible sets of the form A, . . .

- AAB ABA BAA
- BBB
- AAC ACA CAA CCC
- AAD ADA DAA
- DDD

ABC BCA DCC

ABD BDA

ACB CBA CCD

ADB DBA

ACD CDA CCB

ADC DCA BCC

- CBB CDD
- BBC DDC
- DBB
- BBD
- DDB
- BDD

A ~ C B ~ D

BAC CAB CDC

BAD DAB

CAD DAC CBC

- BCB DCD
- BDB
- DBD

ABB BBA

ADD DDA

BCD DCB

also for the form

. . . A

Possible codes with A, . . .

No C (where ×)

No A	× × ×	· × ×	× · ×	× × ·	× · ·	· × ·	· · ×	· · ·
× × ×	8	8	9	9	11	11	11	16
· × ×	12	12	16	15	19	17	16	22
× · ×	9	~~12~~	11	12	15	12	~~15~~	18 ?
× × ·	12	15	16	12	16	17	19	
× · ·					20		22	
· × ·					24		20	
· · ×								
· · ·								

A, . .

A x y z A,

A z y x

Rules for checking code of the form A, . . .

A → C
B → D

Notation: $A, XYZ,$ $C, xyz.$ and any particular rules is $A, X_0Y_0Z_0,$ $C, x_0y_0z_0,$

for all

Forward rules

~~A, XYZ~~ $A, AY_0Z_0A,$ →

A, X_0AZ_0, A, X →

A, X_0Y_0A, A, XY →

A, X_0AA, A, XYZ → →

A, AY_0A, A, XY → →

A, AAZ_0, A, XY → →

AY_0Z_0 rejects Y_0Z_0A

X_0AZ_0 rejects Z_0AX

X_0Y_0A rejects AXY

X_0AA rejects AXY and AAX

AY_0A rejects Y_0AA and AXY

AAZ_0 rejects ~~AAZ_0~~ AZ_0A and Z_0AX

Backwards

$YZ, A, CY_0Z_0, A,$

$yz \leftarrow CA$

A, X_0Y_0C, A

$C \leftarrow x_0y_0A$

YZ, A, X_0CZ_0, A

$z \leftarrow x_0A$

Z, A, X_0CC, A

$z \leftarrow C \leftarrow x_0AA \leftarrow C$

XYZ, A, CCZ_0, A

$xyz \leftarrow CAAZ_0$

XYZ, A, CCC, A

$xyz, CAAA,$

CY_0Z_0 rejects C_{3y}

X_0CZ_0 rejects $x_0 \blacksquare z$

X_0Y_0C rejects y_0x_0C

XCC rejects Ax_0C + x_0Cz

CY_0C rejects y_0AC + $\blacksquare Czy$

CCZ_0 rejects ACz + Czy

CCC — AAC, AC_3 + $\blacksquare C_{3y}$

o.k. ✓

A~c B-D.

26 Sets of the form · A · ·

AAB ABA BAA

BBB

AAC ACA CAA CCC

AAD ADA DAA

DDD

ABC CAB ~~DCC~~ CDC

ABD DAB

ACB BAC DCC

ADB BAD

ACD DAC BCC

ADC CAD ~~B~~CBC

BCB DCD

CBB CDD

BDB

DBB

BDD

DBD

BCA CBA CCD

BDA DBA

CDA DCA CCB

BBC DDC

BBD

DDB

ABB BAB

ADD DAD

DBC BDC

A ~ C B ~ D

26 Sets of the form . . A .

AAB BAA ABA

BBB

AAC CAA ACA CCC

AAD DAA ADA

DDD

—

CAB BCA CCD

DAB BDA

BAC CBA CDC

BAD DBA

DAC CDA CBC

CAD DCA CCB

—

BBC DDC

BCB DCD

BBD

BDB

DBD

DDB

—

ABC ACB DCC

ABD ADB

ACD ADC BCC

CBB CDD

DBB

BDD

—

BAB BBA

DAD DDA

CDB CBD

—